

Information Rate and Branching Processes of Scientific Fields

FranČesko, Henry, Jan, MJ

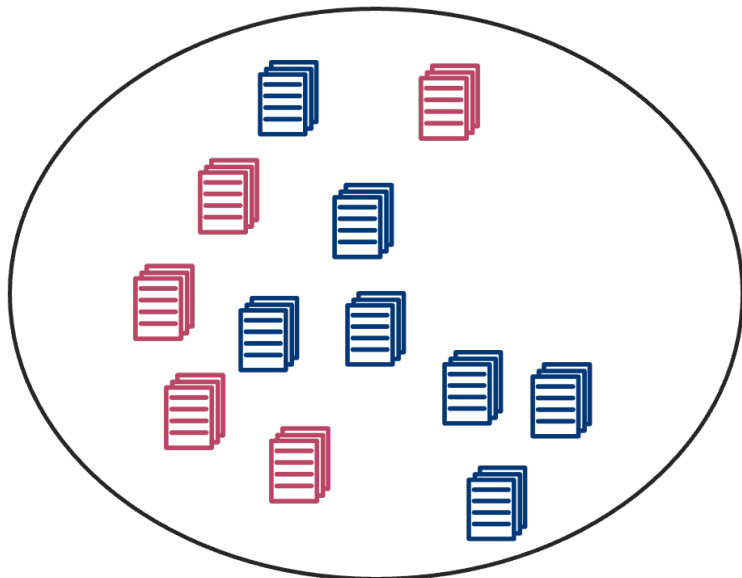
(Advisory Board: Jana)

Do Societies have a limited Information processing rate?

For Sciences:

Is there a correlation between reaching a certain entropy-rate and the emergence of new subfields?

Field A



● Topic I

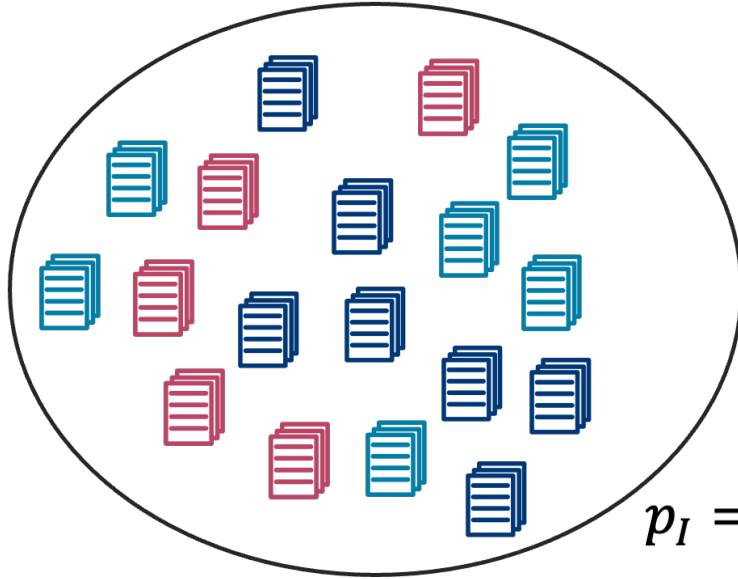
● Topic II

Year i

$$p_I = \frac{5}{12} \quad p_{II} = \frac{7}{12}$$

$$H = \sum_i p_i \log p_i = \frac{5}{12} \log \frac{5}{12} + \frac{7}{12} \log \frac{7}{12} \\ = 0.68$$

Field A

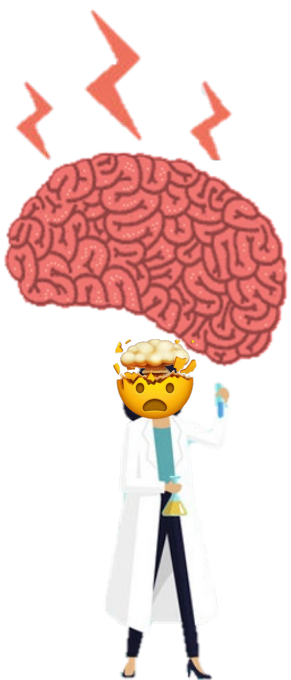


- Topic I
- Topic II
- Topic III

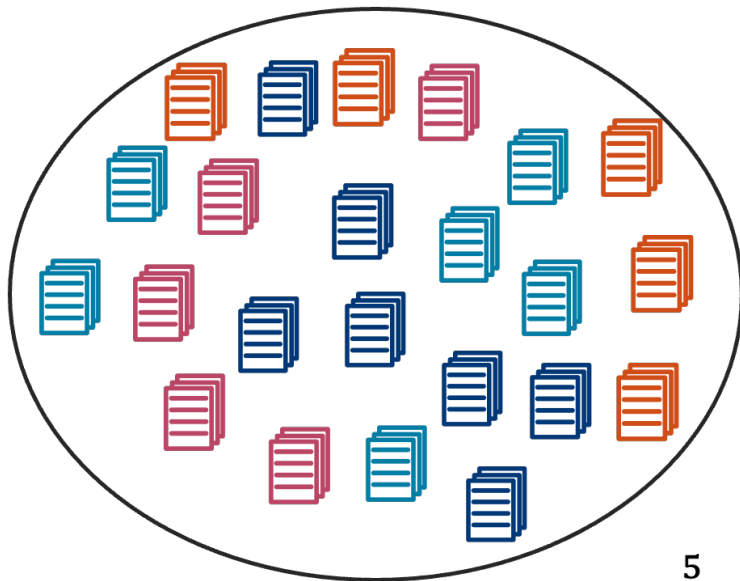
$$p_I = \frac{5}{18} \quad p_{II} = \frac{7}{18} \quad p_{III} = \frac{6}{18}$$

Year $i+1$

$$H = \frac{5}{18} \log \frac{5}{18} + \frac{7}{18} \log \frac{7}{18} + \frac{6}{18} \log \frac{6}{18} = 1$$



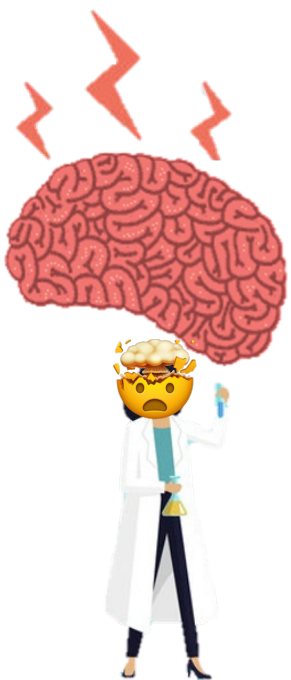
Field A



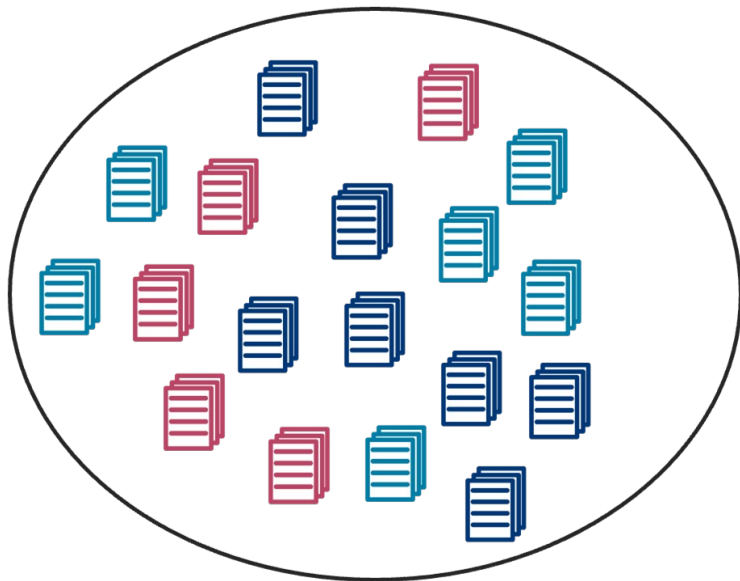
- Topic I
- Topic II
- Topic III
- Topic IV

Year $i+2$ $p_I = \frac{5}{23}$ $p_{II} = \frac{7}{23}$ $p_{III} = \frac{6}{23}$ $p_{IV} = \frac{5}{23}$

$$H = \frac{5}{23} \log \frac{5}{23} + \frac{7}{23} \log \frac{7}{23} + \frac{6}{23} \log \frac{6}{23} + \frac{5}{23} \log \frac{5}{23} = 1.3$$



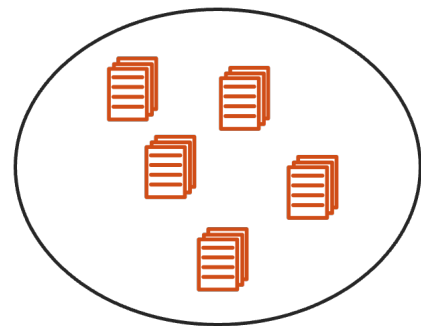
Field A- Subfield 1



- Topic I
- Topic II
- Topic III
- Topic IV

Year $i+2$

Field A- Subfield 2



Method

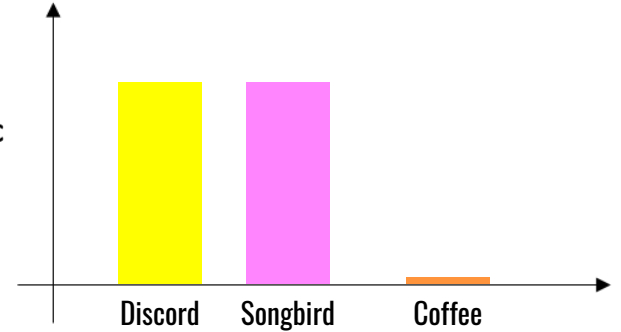


Constantly **checking Discord** has become second nature, like a **songbird** warily scanning the skies for signs of danger before taking flight.

(ChatGPT)



Probabilistic
Embedding



Method

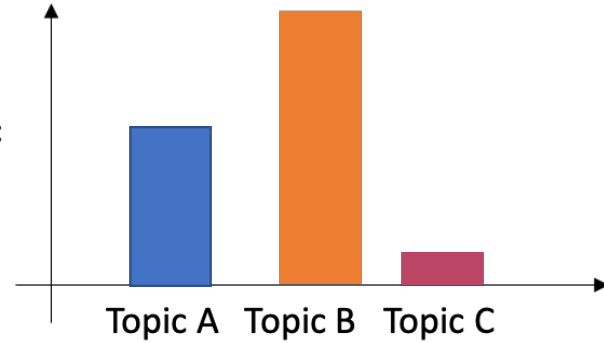


Paper i



Probabilistic
Embedding

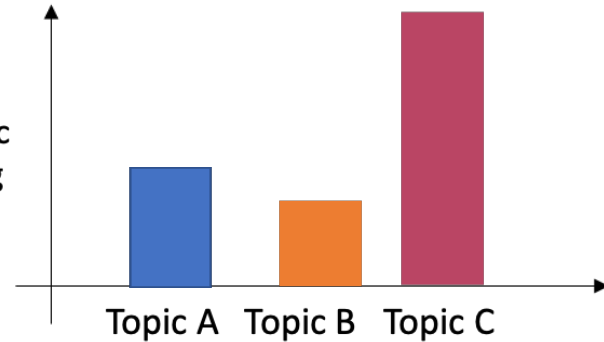
*Word Embedding
+ Topic Modelling*



Paper j



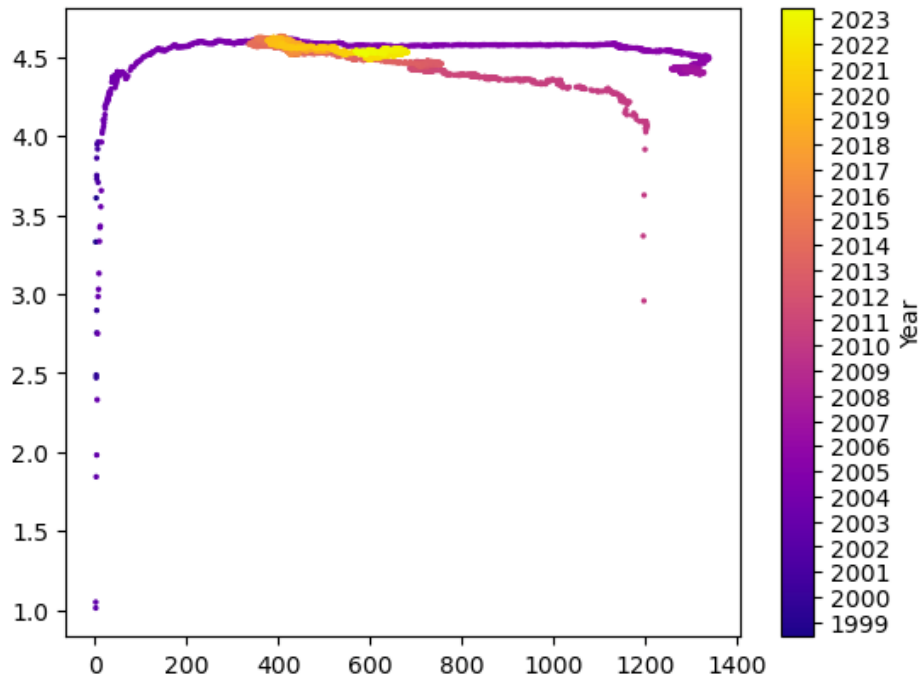
Probabilistic
Embedding



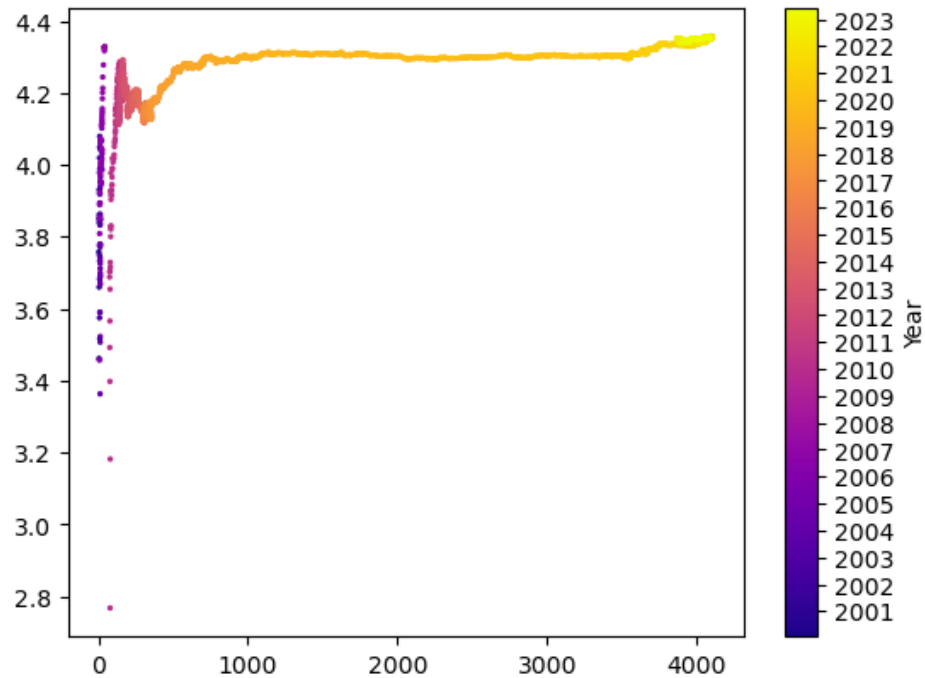
Results

Entropy rates

cond-mat.other

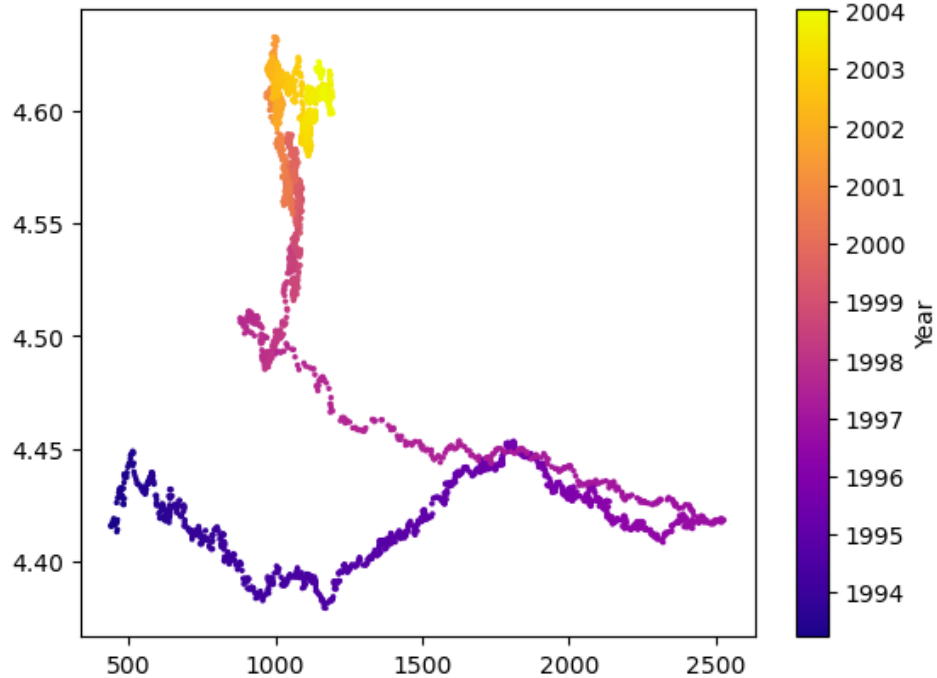


cs.NA

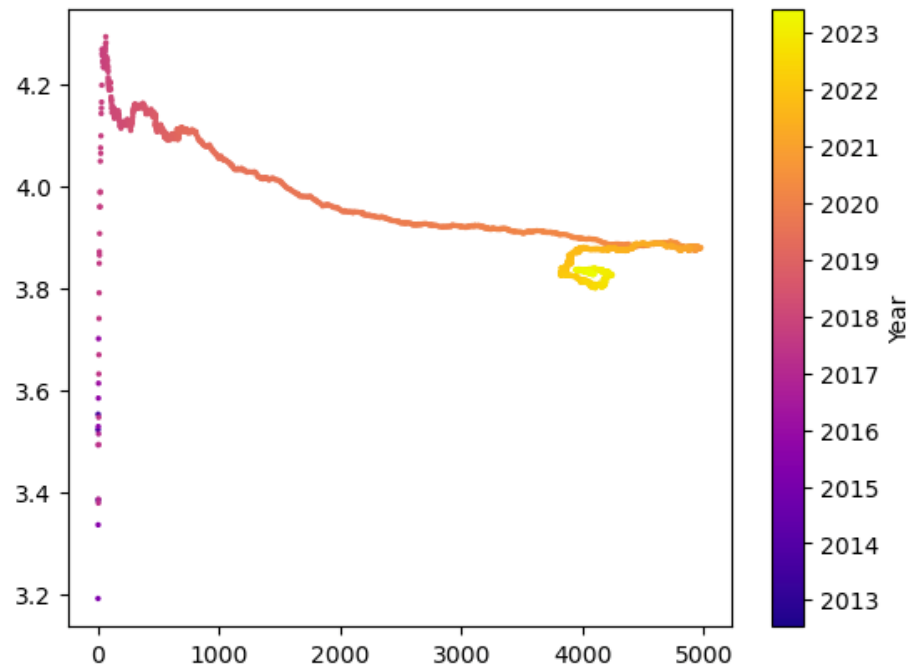


Entropy rates

cond-mat

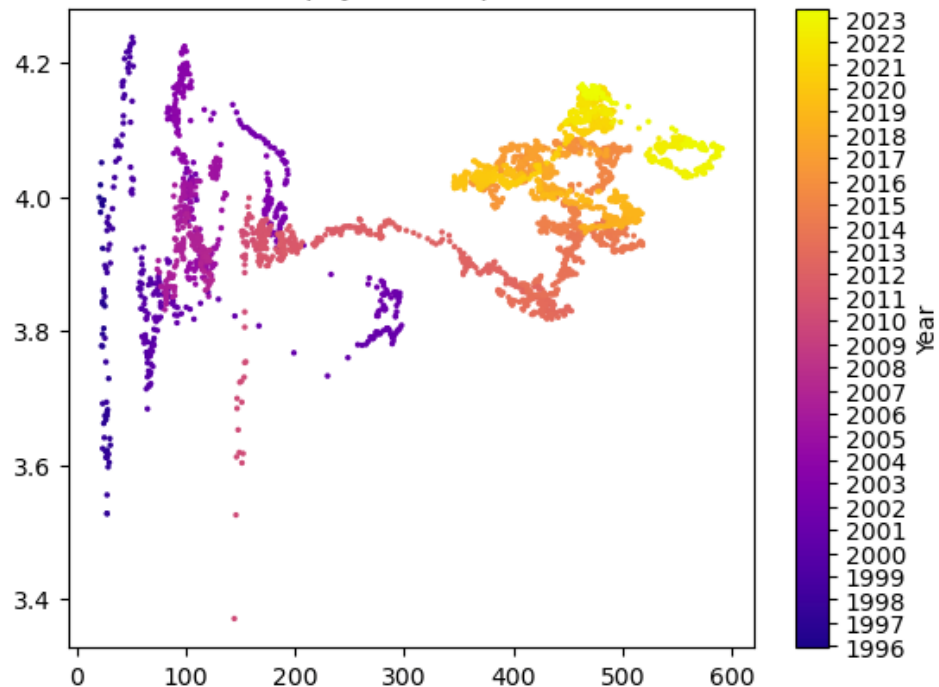


eess.IV

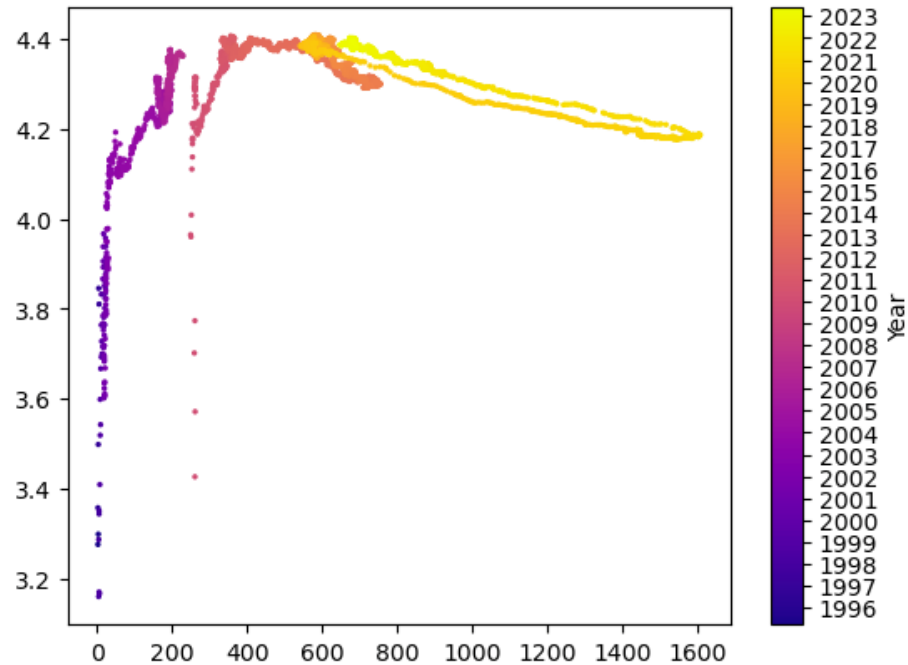


What does that tell us? 🙄 🙄 🙄

physics.acc-ph

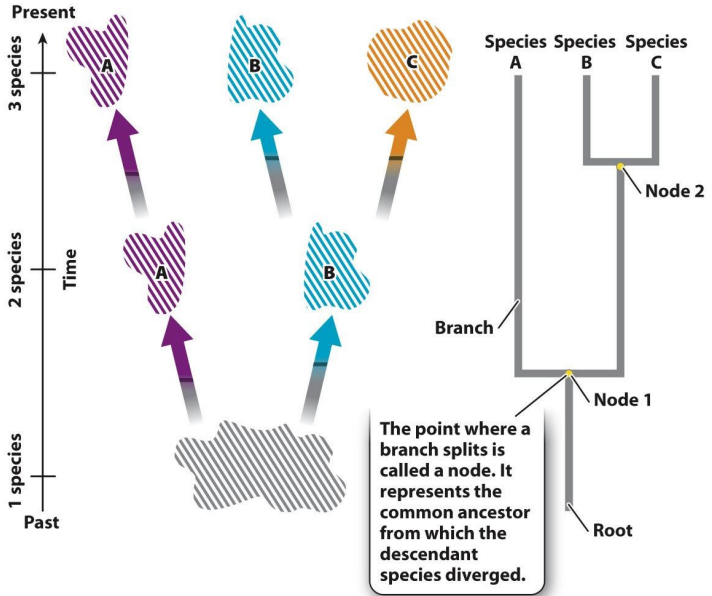


q-bio.PE



Branching process

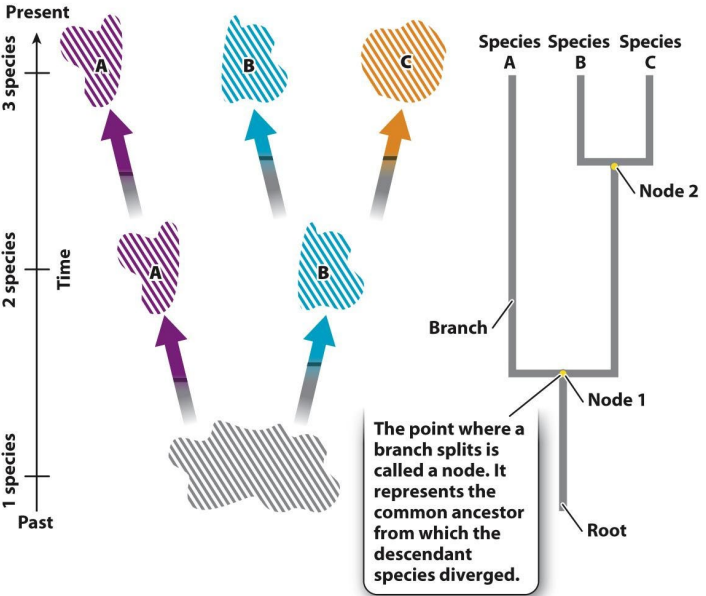
Speciation



[Morris, et al., 2023]

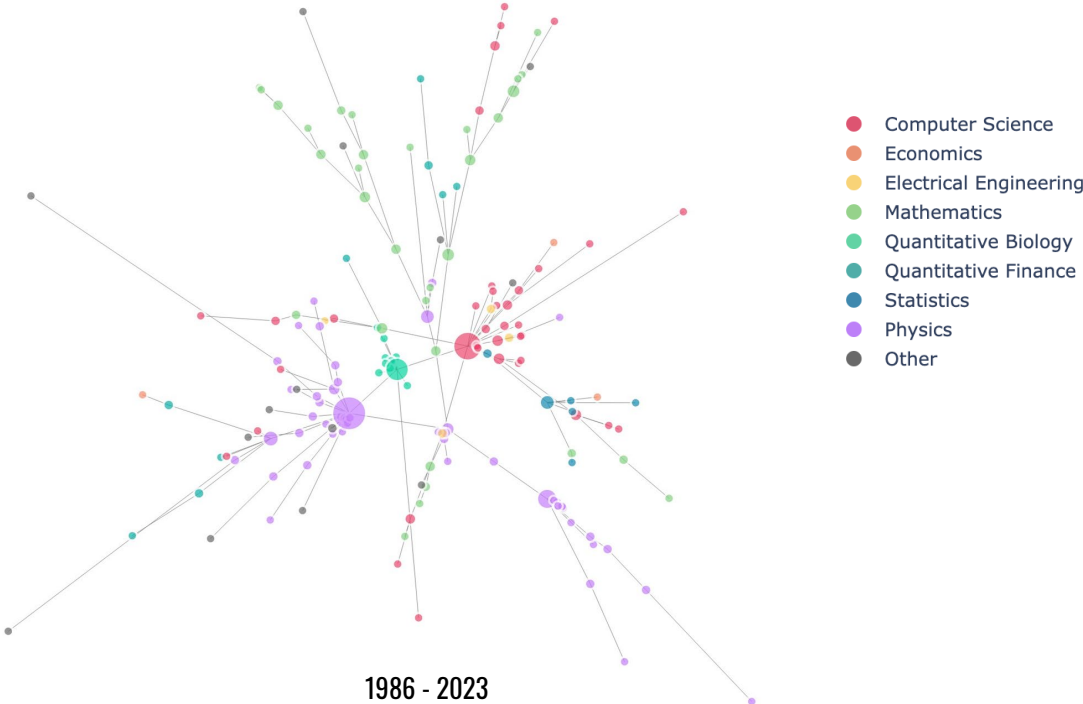
Branching process

Speciation



[Morris, et al., 2023]

Emergence of scientific fields



Branching process

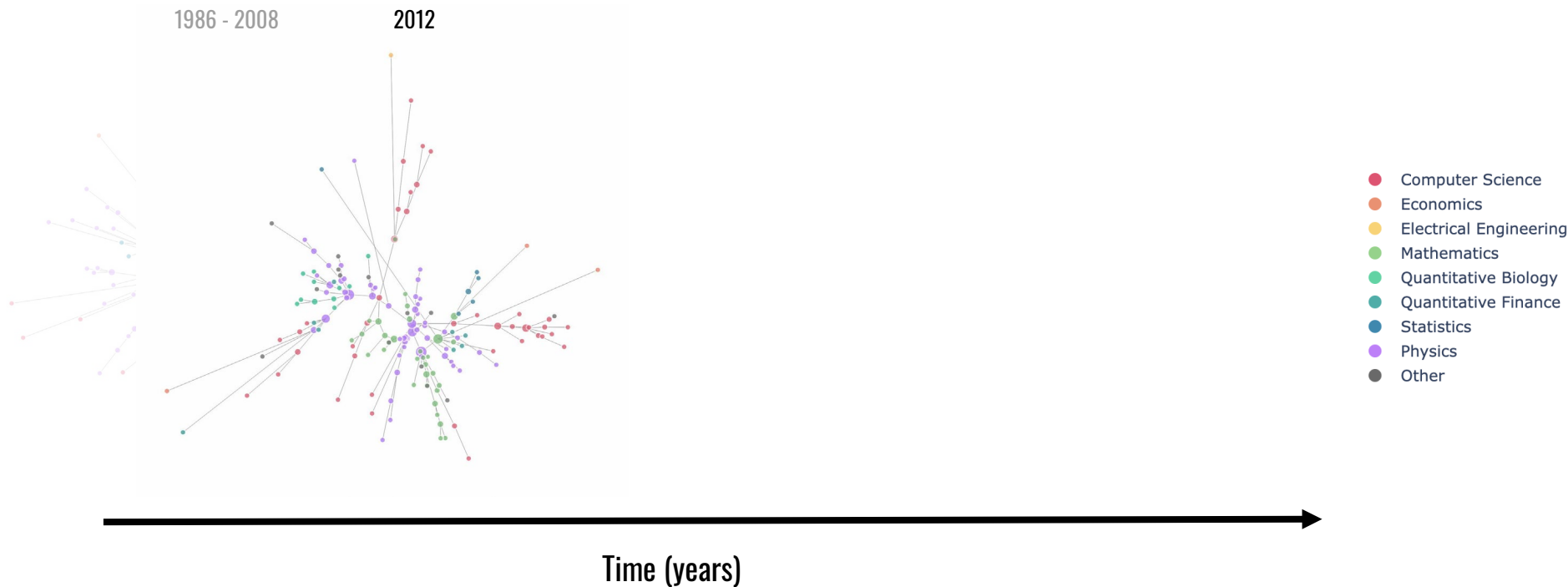
1986 - 2008



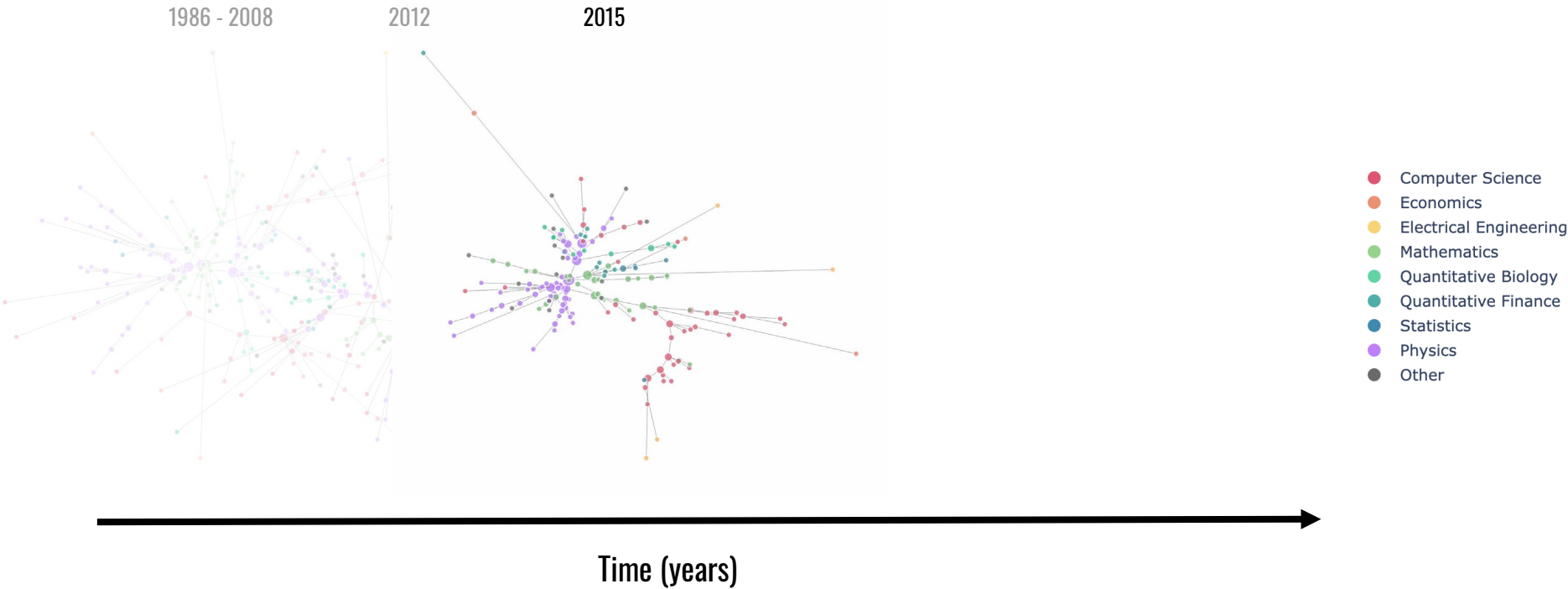
- Computer Science
- Economics
- Electrical Engineering
- Mathematics
- Quantitative Biology
- Quantitative Finance
- Statistics
- Physics
- Other

Time (years)

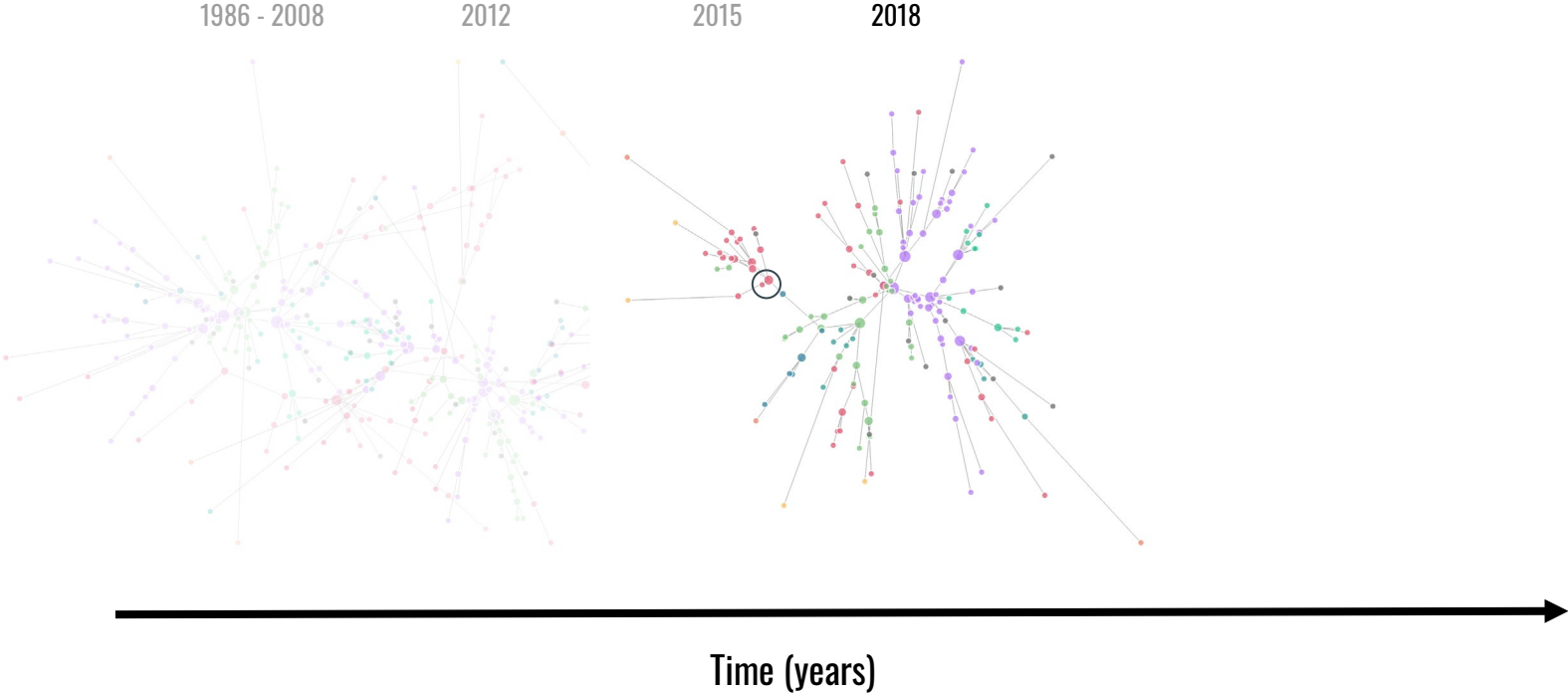
Branching process



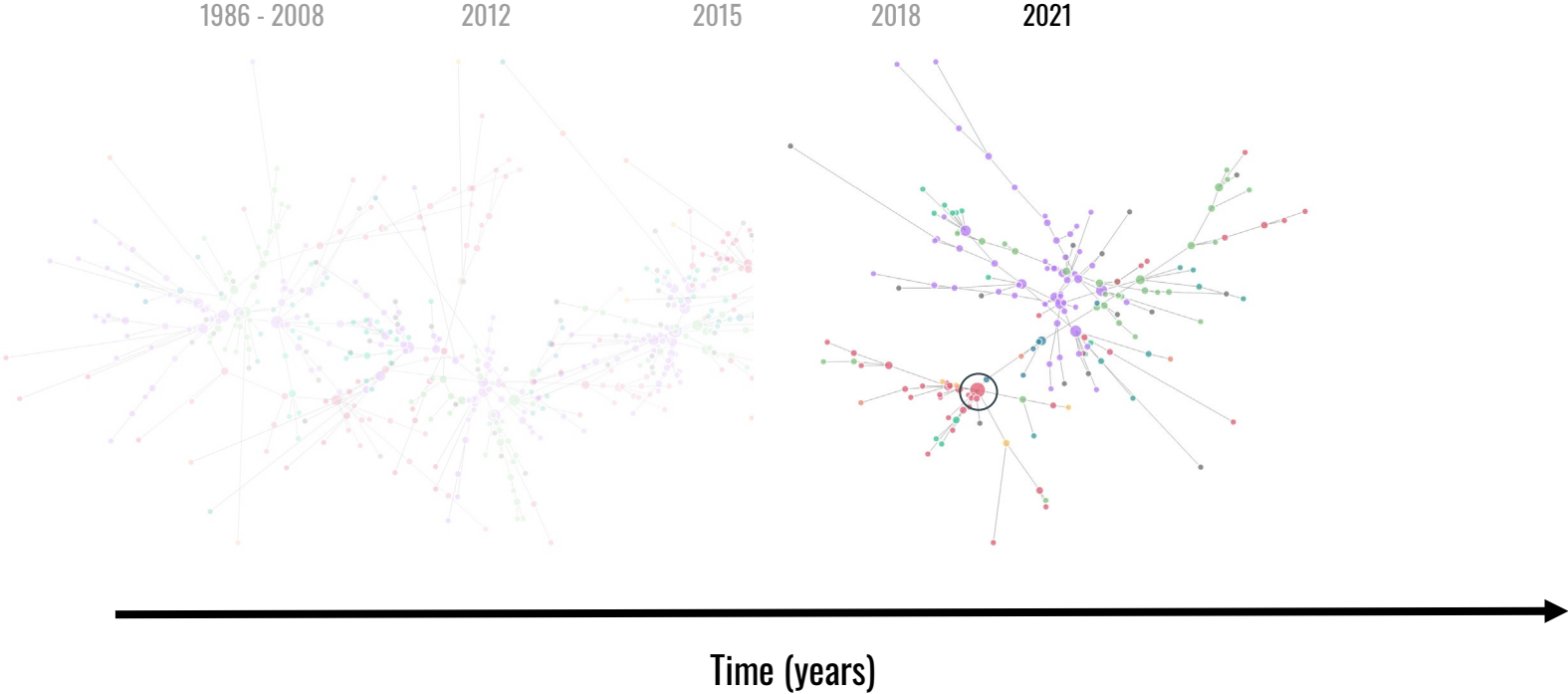
Branching process



Branching process

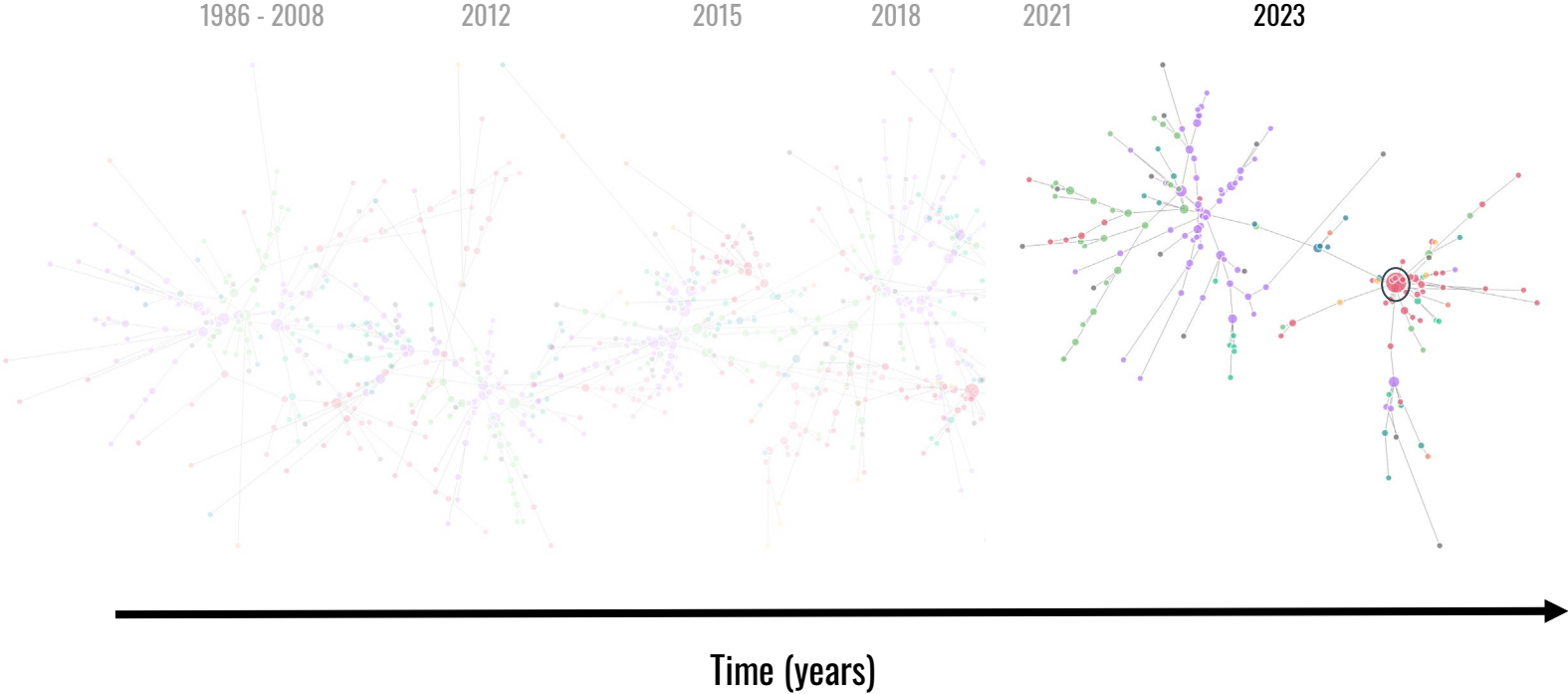


Branching process

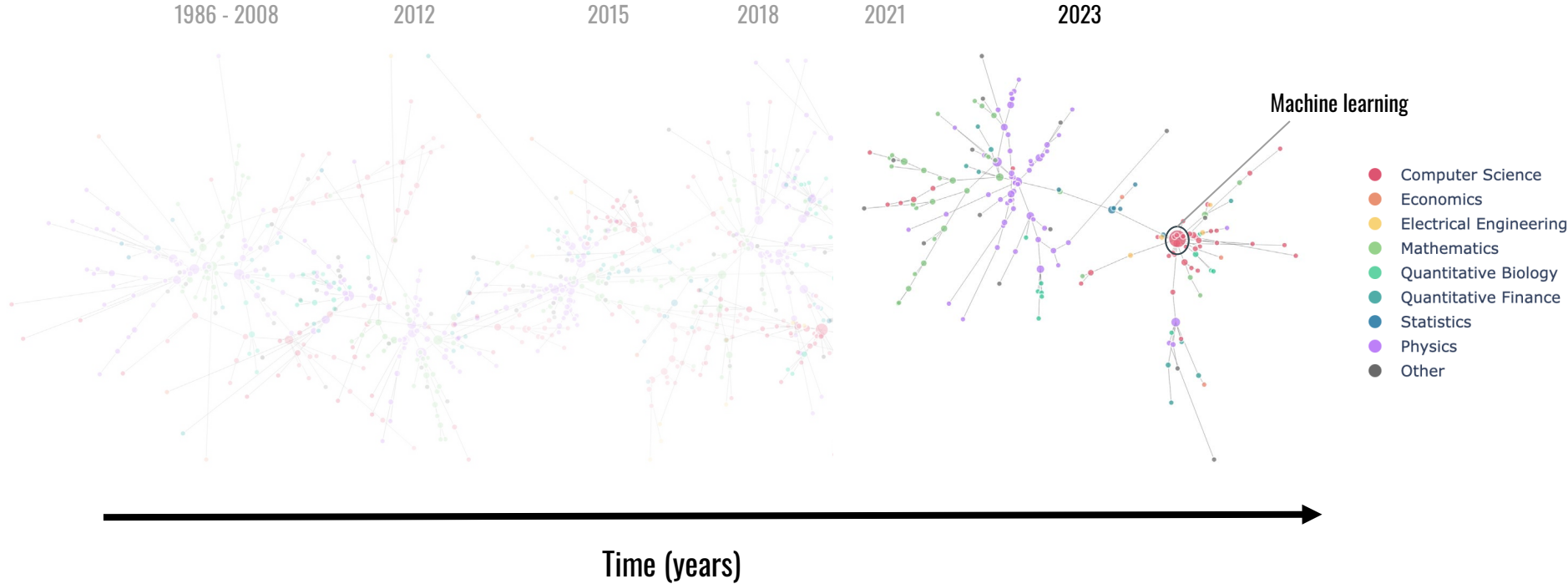


- Computer Science
- Economics
- Electrical Engineering
- Mathematics
- Quantitative Biology
- Quantitative Finance
- Statistics
- Physics
- Other

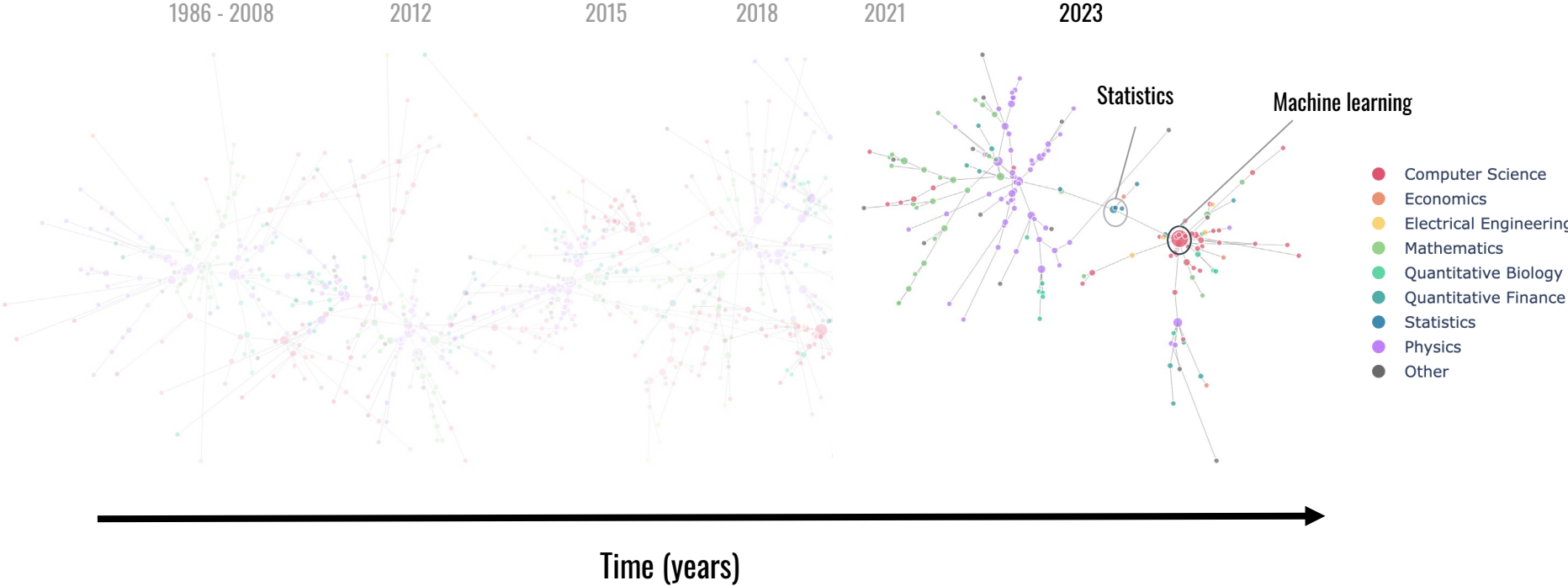
Branching process



Branching process



Branching process



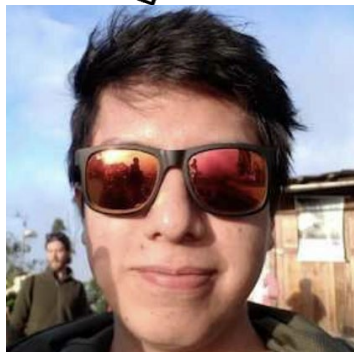
Future work

- Correlate the entropy rate against other indicators (e.g.: number of distinct authors,...)
- Expand methodology to other data sets
 - Reddit (subreddit), Patent, and APS dataset



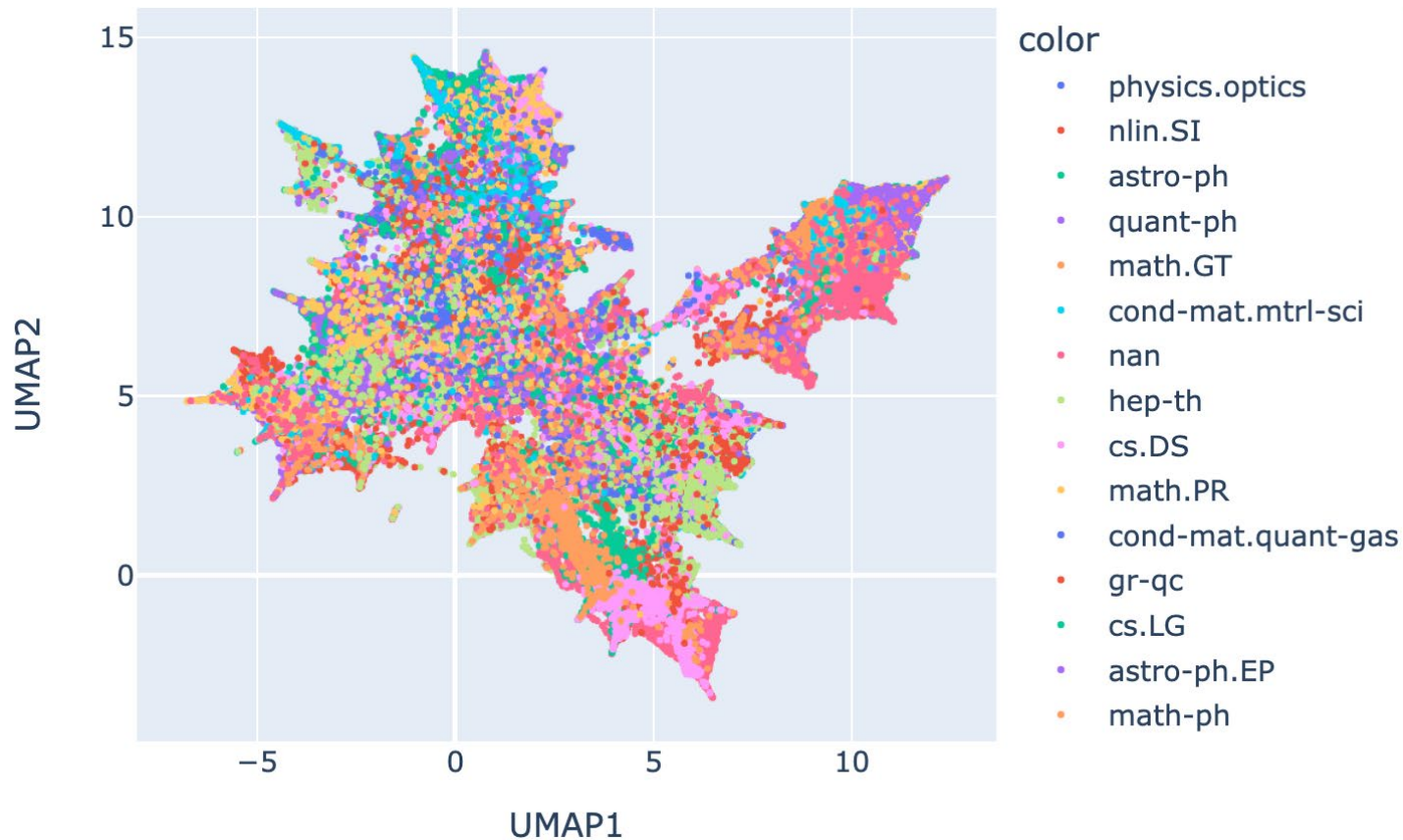
3 Ì !đÌ -!! .†Ì π!†Êđ!Ì ð. π'!!
μ†đ†!! πŒ Â Â πÊμ†đŒ Ê↑!!

Hope you liked our presentation!



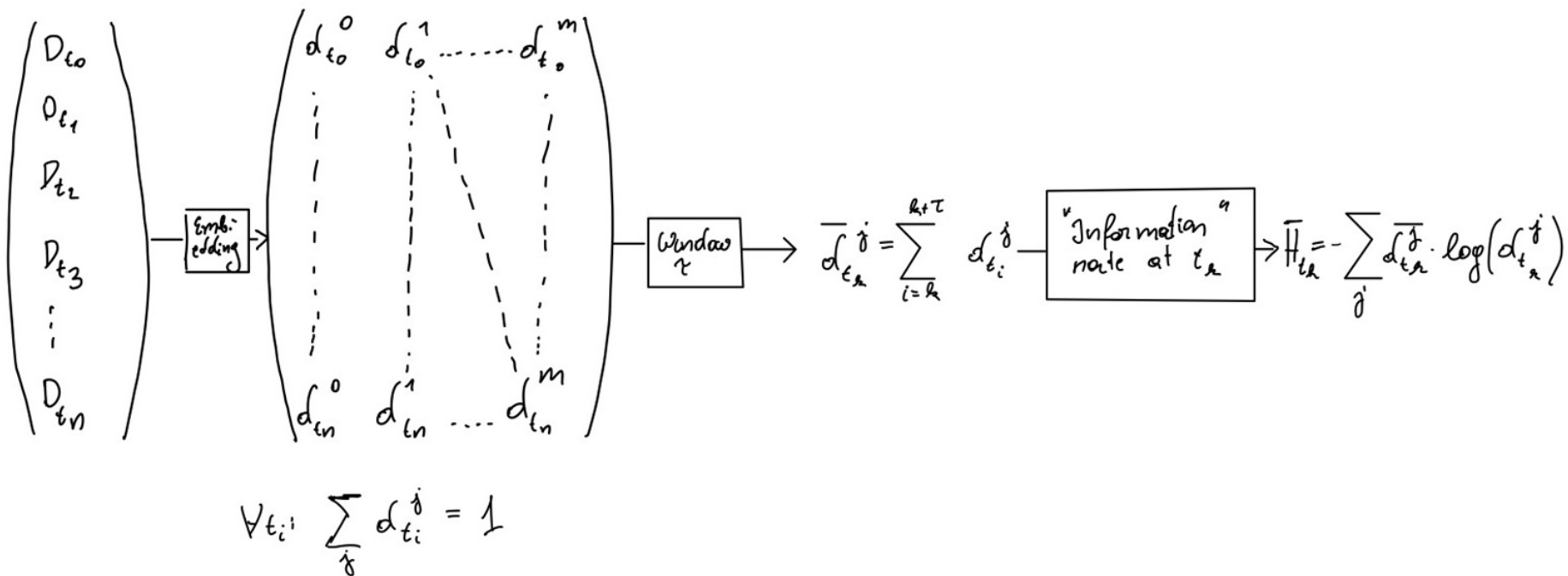
FIN

Embedding



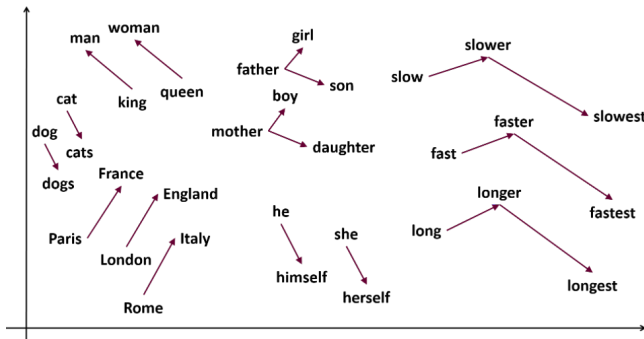
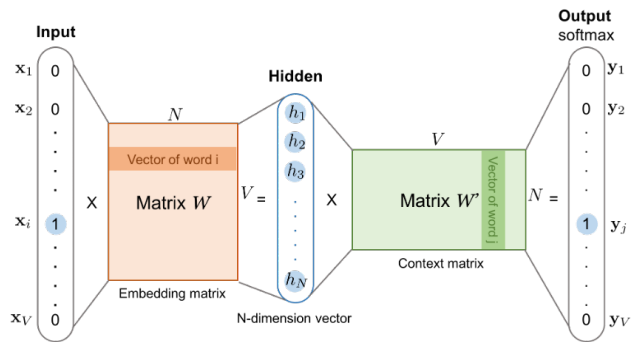
Integrating topic modeling and word embedding to characterize violent deaths

Alina Arseniev-Koehler^{a,b,1} , Susan D. Cochran^{b,c,d} , Vickie M. Mays^{b,e,f}, Kai-Wei Chang^{b,g}, and Jacob G. Foster^{a,b,1}



Latent embedding space

WORD2VEC EMBEDDING



TOPIC EMBEDDING

$$\Pr[w \text{ emitted at } t | \mathbf{c}_t] = \frac{\exp(\langle \mathbf{c}_t, \mathbf{w} \rangle)}{Z_{\mathbf{c}_t}}$$

$$\Pr[w \text{ emitted at } t | \mathbf{c}_t] = \alpha p(w) + (1 - \alpha) \frac{\exp(\langle \tilde{\mathbf{c}}_t, \mathbf{w} \rangle)}{Z_{\tilde{\mathbf{c}}_t}}$$

$$(\tilde{\mathbf{c}}_t)_{\text{MAP}} = \sum_{w \in \mathcal{C}} \frac{a}{p(w) + a} \mathbf{w}, \text{ where } a = \frac{1 - \alpha}{\alpha Z}$$

Motivation

SCIENCE ADVANCES | RESEARCH ARTICLE

SOCIAL SCIENCES

Different languages, similar encoding efficiency: Comparable information rates across the human communicative niche

Christophe Coupé^{1,2*}, Yoon Mi Oh^{3,4*}, Dan Dediu^{1,5}, François Pellegrino^{1†}

Language is universal, but it has few indisputably universal characteristics, with cross-linguistic variation being the norm. For example, languages differ greatly in the number of syllables they allow, resulting in large variation in the Shannon information per syllable. Nevertheless, all natural languages allow their speakers to efficiently encode and transmit information. We show here, using quantitative methods on a large cross-linguistic corpus of 17 languages, that the coupling between language-level (information per syllable) and speaker-level (speech rate) properties results in languages encoding similar information rates (~39 bits/s) despite wide differences in each property individually: Languages are more similar in information rates than in Shannon information or speech rate. These findings highlight the intimate feedback loops between languages' structural properties and their speakers' neurocognition and biology under communicative pressures. Thus, language is the product of a multiscale communicative niche construction process at the intersection of biology, environment, and culture.